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Multiple Current method applied to characterization of RADFETs

M.S. Martínez-García¹, J. Torres del Río¹, A.J. Palma¹, A.
Jaksic², J. Banqueri¹ and M.A. Carvajal¹

¹Department of Electronics. University of Granada (Spain)

² Tyndall National Institute, Cork (Ireland)



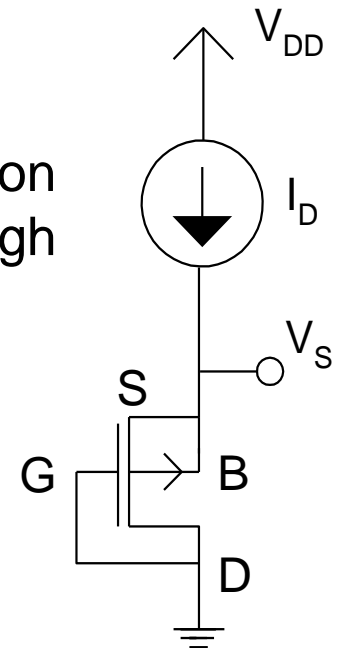
- **Background and motivation**
- **Materials and methods**
 - Experimental set-up and read-out unit
 - Studied RADFETs from Tyndall
- **Experimental results**
 - Thermal characterisation
 - Calibration and linearity: Three current Method (3CM)
 - Thermal compensation: Two current Method (2CM)
- **Conclusions**
- **Acknowledgements**

Background and motivation : pMOS as dosimeter

- Oxide charge build-up by ionizing radiation: V_t shift
- Main dosimetric parameter: V_t of pMOSFETs
- MOSFET used in dosimetry systems are the so-called RADiation sensitive Field –Effect Transistors (**RADFETs**): fabricated for high sensitivity to radiation.
- Readout of V_t at constant drain current in saturation regime

$$(V_{GD} = 0)$$

$$I_D = -\frac{\beta}{2} (|V_{GS}| - |V_t|)^2 \quad \beta \approx cte \quad \Rightarrow \quad \Delta|V_t| \approx \Delta|V_S| = \Delta V_{out}$$



Background and motivation : RADFETs challenges

■ High sensitivity to radiation

- Thick and post-processed gate oxide
- Biasing during irradiation periods
- Stacking individual devices
- Unstable oxide charges
- High dose of pre-irradiation
- Shortening of dose range
- Read-out complexity

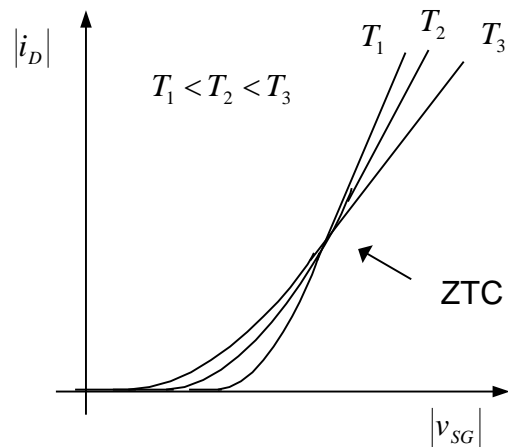
■ Easy calibration: high linearity behaviour

- Depending on dose rate and dose range
- Biasing during irradiation periods
- Multiparameter calibration curve
- Post-irradiation fading

Background and motivation : RADFETs challenges

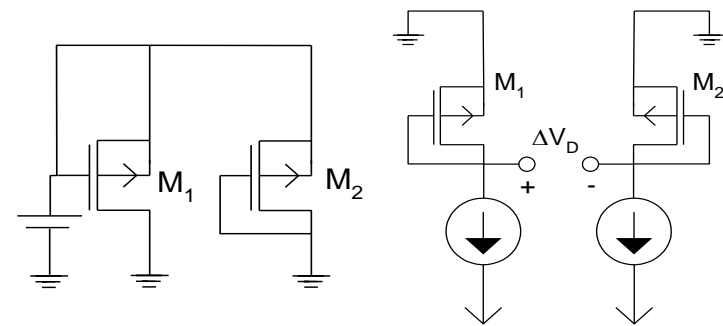
■ Main thermal compensation techniques

Biassing the pMOS at I_{ZTC}



- Shift of I_{ZTC} with accumulated dose
- Heating cycles effects (i.e. satellites)

Two identical pMOS with different sensibilities



During
irradiation

Read-out
configuration

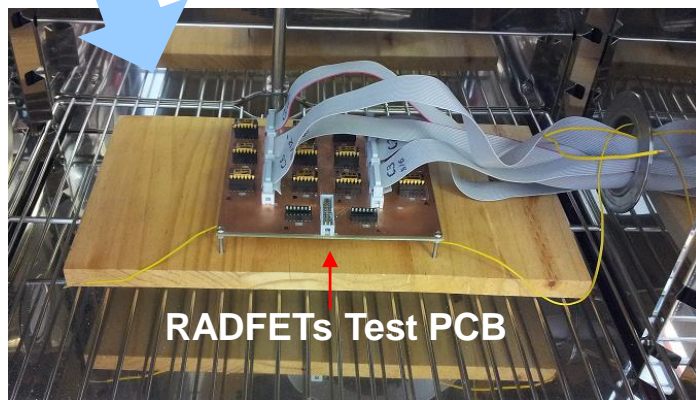
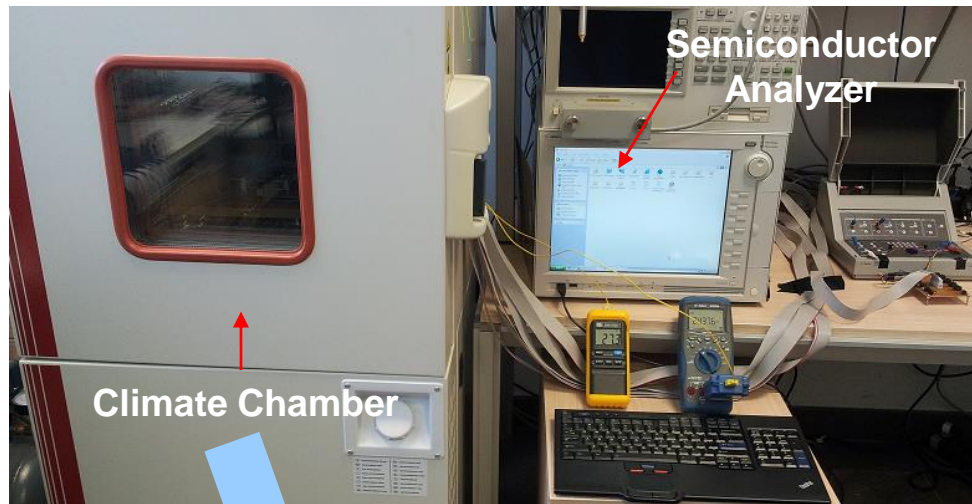
- Possible instability due to different biasing
- More complex read-out system

Background and motivation :

Motivation and work plan

- Electrical and thermal characterisation of different **RADFETs** from Tyndall National Institute
- Response to radiation of unbiased single RADFETs
- Application of **multiple current algorithm** during read-out for:
 - Study of possible increase of linearity
 - Compensation of the temperature effects

Method and Materials: Electrical and Thermal Set-up



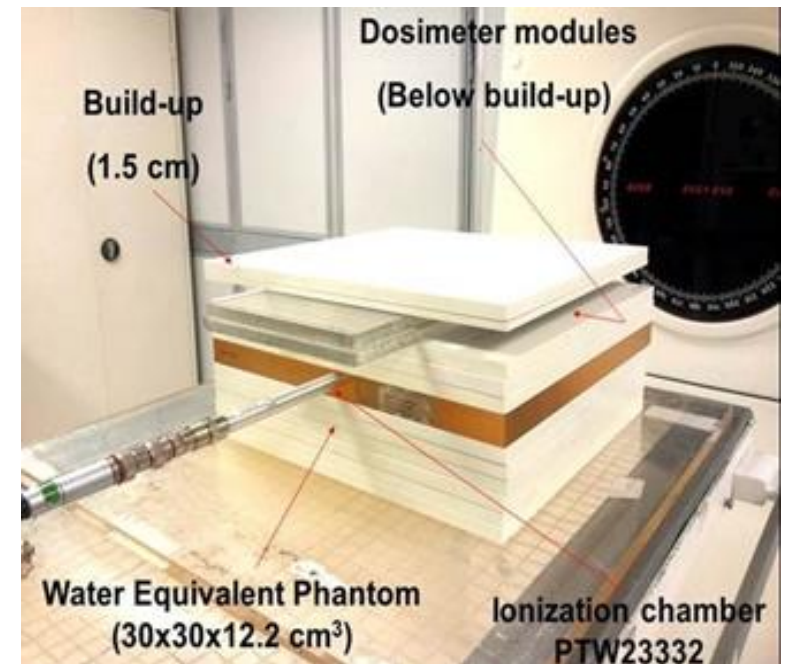
Electrical and thermal Characterization:

- I-V characteristics at different temperatures
- Extracted by a semiconductor analyser (B1500, Agilent Technologies)
- Temperature variations produced by a climate chamber (VCL4006 Vötosch Industrytedhnik, Germany)

Method and Materials: Irradiation Set-up

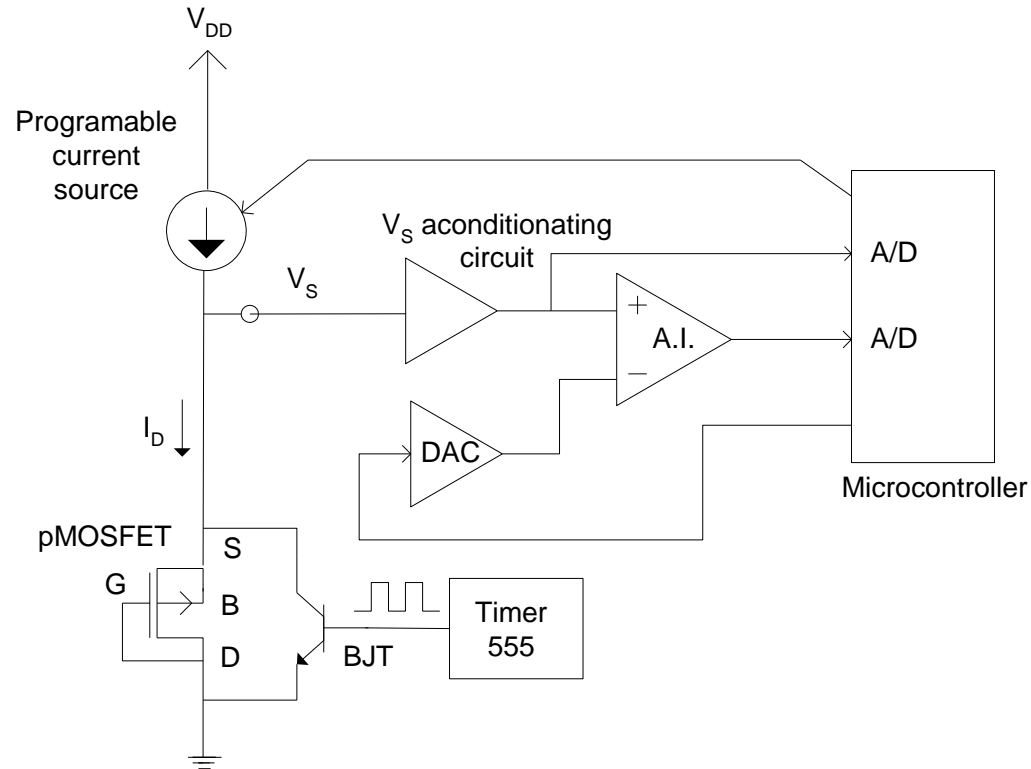
Irradiated by a Siemens Mevatron KDS:

- 6 MV photons
- Field 25x25 cm²
- Dose Rate: 3.36 cGy/s
- At the iso-center, 100 cm
- Normal incidence
- University Hospital San Cecilio (Granada, Spain).



Method and Materials: Dosimetric System

■ Reader Unit:

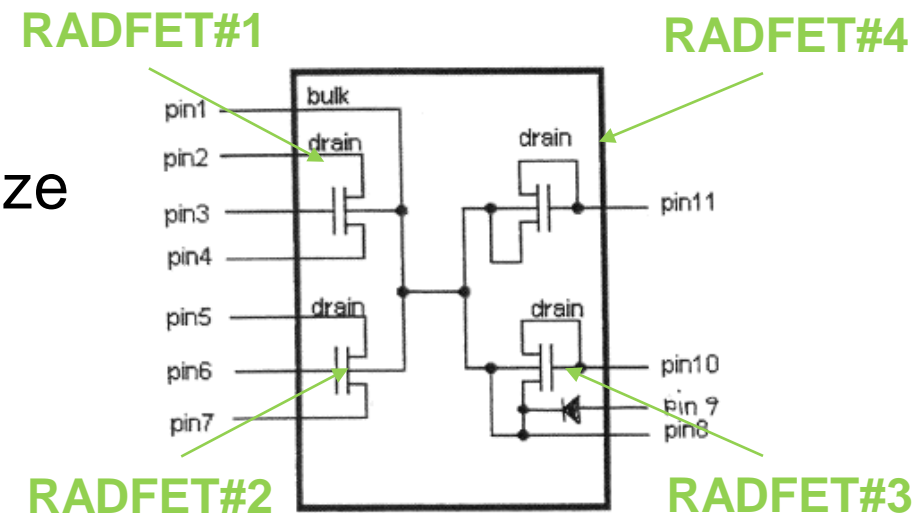
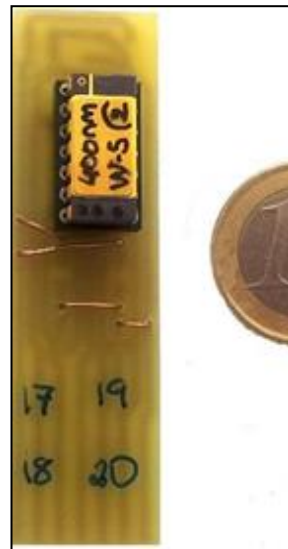


[Carvajal et al, 2012]

Method and Materials: Studied RADFETs from Tyndall


- Two sizes: 300/50 and 690/15
- 20 Chips → **80 RADFETs**
- 8 RADFETs** for every model and size

| MODEL |
|---------------|
| 100nm_W8 |
| 400nm_IMPL_W5 |
| 400nm_IMPL_W7 |
| 400nm_IMPL_W8 |
| 1µm_IMPL_W4 |



Sensor Module

Experimental results: Thermal Characterisation (II)

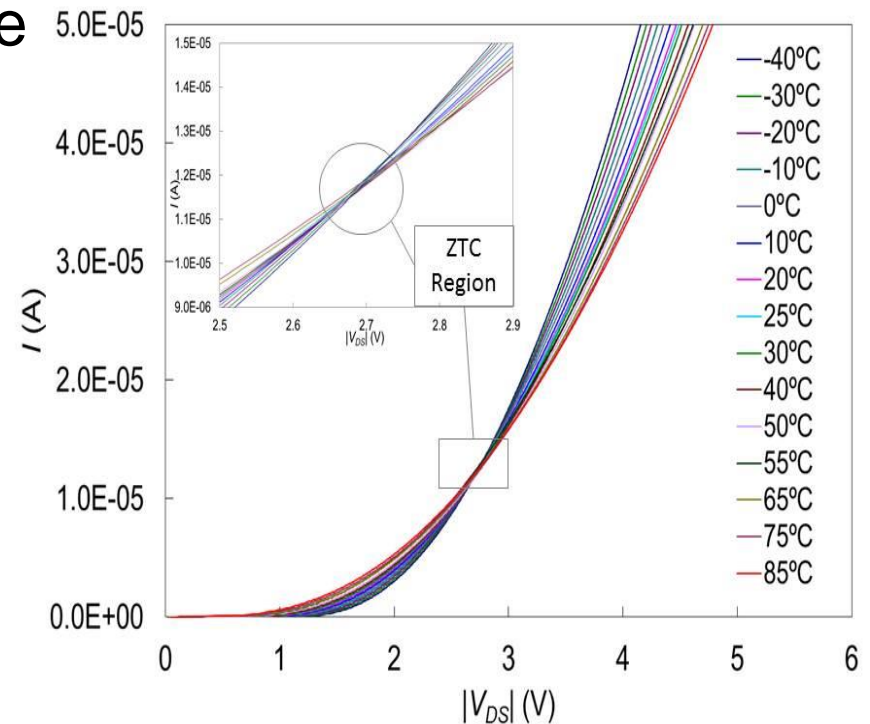
- **4 RADFETs** for every model and size (different to the radiation study)
- Total 10 chips  **40 RADFETs**

$$I_D = -\frac{\beta}{2} (|V_{GS}| - |V_t|)^2$$



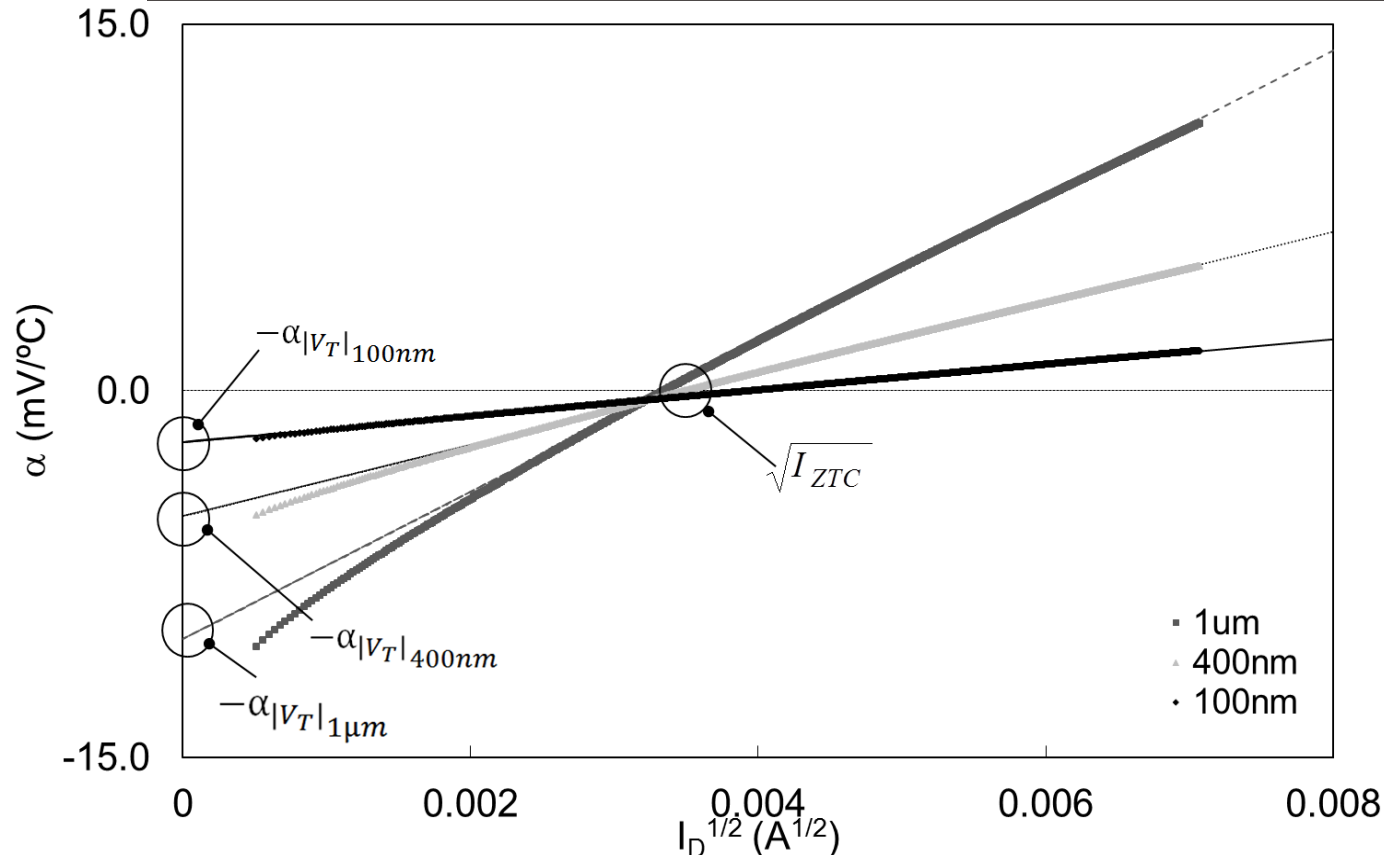
$$\alpha_i = \alpha_{|V_t|} \left(1 - \sqrt{\frac{I_i}{I_{ZTC}}} \right)$$

$$\Delta |V_T| (T) = \Delta |V_T^0| + \alpha_{|V_T|} \Delta T$$



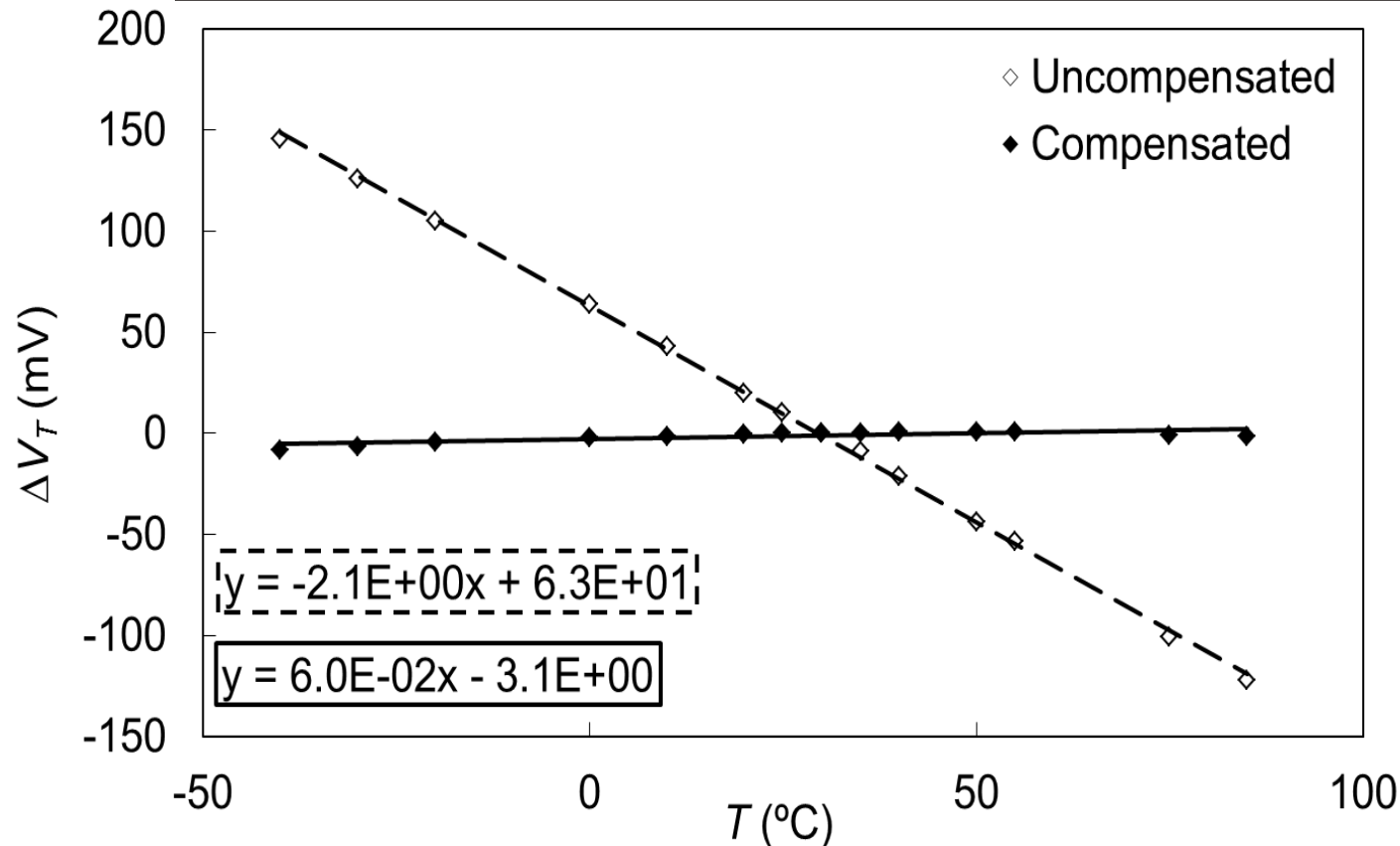
R#1 \rightarrow 400nm and 300/50 type

Experimental results: Thermal Characterisation (III)



$\alpha(I_D)$ as a function of $\sqrt{I_D}$ of RADFET with t_{OX} 100nm, 400nm_IMPL_W8 and 1µm (300/50size). Dots represents experimental data and line theoretical model.

Experimental results: Thermal Characterisation (III)



Thermal drift of the threshold voltage of a RADFET with t_{OX} 100nm and size 690/15 dosimeter before (open circles) and after (filled circles) applying the thermal compensation method.

Experimental results: Thermal Characterisation (III)

| Model | Size (W/L) | I_{ZTC} (μA) | α_{V_T} (mV/°C) |
|--------------------------|------------|-----------------------------|------------------------|
| 100nm_W8 | 300/50 | 19.89 ± 0.01 | -2.2427 ± 0.0004 |
| | 690/15 | 179.29 ± 0.04 | -2.1394 ± 0.0002 |
| 400nm_IMPL_W5 | 300/50 | 12.20 ± 0.03 | -5.0515 ± 0.005 |
| | 690/15 | 131.9 ± 0.4 | -4.903 ± 0.006 |
| 400nm_IMPL_W7 | 300/50 | 10.63 ± 0.03 | -4.809 ± 0.005 |
| | 690/15 | 115.7 ± 0.4 | -4.6408 ± 0.006 |
| 400nm_IMPL_W8 | 300/50 | 11.61 ± 0.03 | -4.957 ± 0.006 |
| | 690/15 | 122.5 ± 0.4 | -4.783 ± 0.006 |
| 1 μm _IMPL_W4 | 300/50 | 11.37 ± 0.04 | -10.19 ± 0.01 |
| | 690/15 | 134.1 ± 0.7 | -9.82 ± 0.02 |

Calibration and linearity: Three current Method (3CM)

- **Thermal compensation and linear range improvement.**

- Biasing with three drain currents during read-out phase: I_{ZTC} , I_2 and I_C

$$\Delta V_{S2}^0 = \Delta V_{S2} + (\Delta V_{SC} - \Delta V_{S2}) \frac{\sqrt{I_2} - \sqrt{I_{ZTC}}}{\sqrt{I_2} - \sqrt{I_C}}$$

$$\Delta |V_t| = \Delta V_{S,ZTC} + \frac{\Delta V_{S2}^0 - \Delta V_{S,ZTC}}{1 - \sqrt{\frac{I_2}{I_{ZTC}}}}$$

- For **3N163**, reduction in a factor of 50 in the thermal drift and 2.5 times linear range.

[Carvajal et al, 2010, Carvajal et al, 2011]

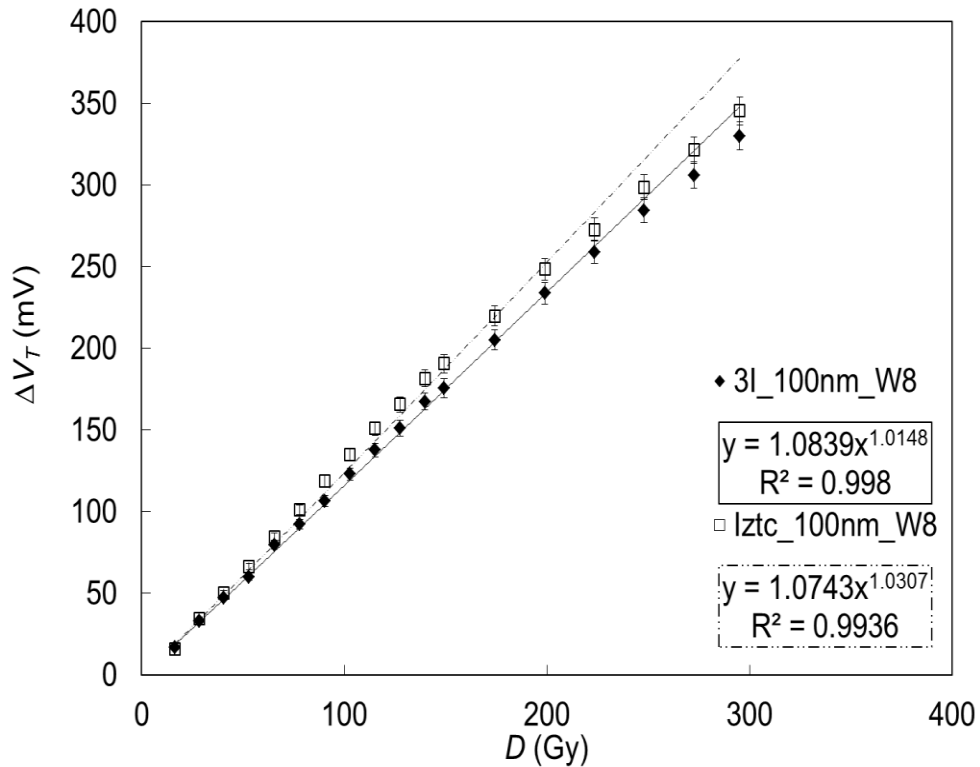
Experimental results: Three current Method (3CM)

- Two different algorithms have been compared:
 - **3CM**
 - I_{ZTC}
- The expected response of the voltage shift, ΔV_T will be modelled by:

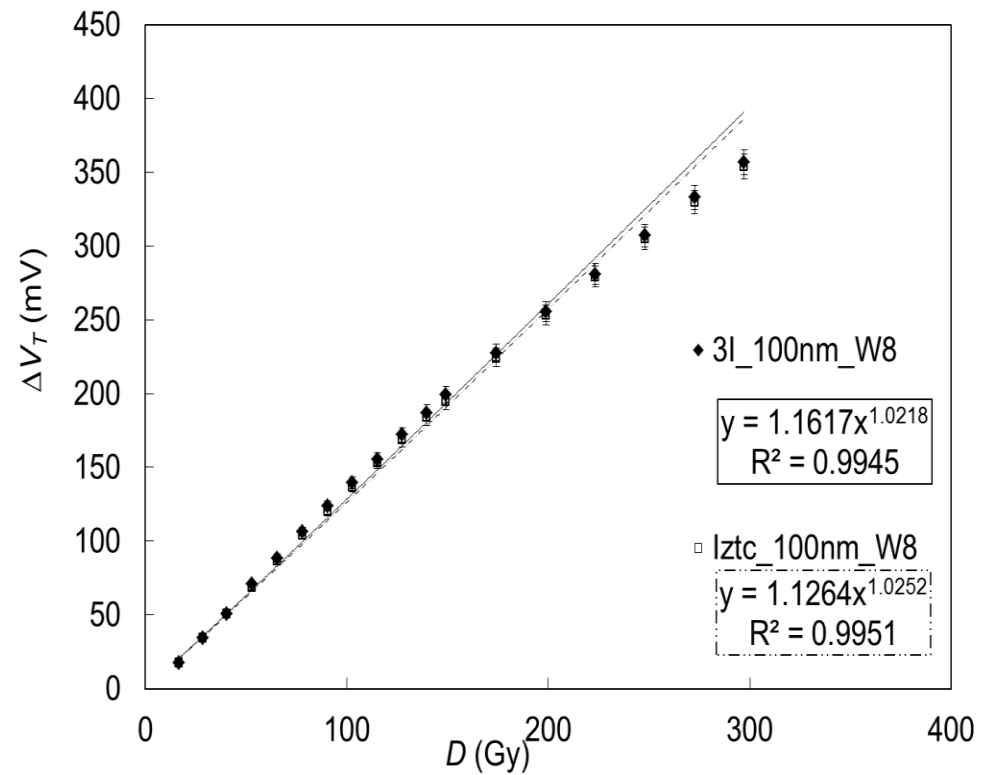
$$\Delta V_T = A \cdot D^n$$

Experimental results: Three current Method (3CM)(II)

■ 100nm_W8



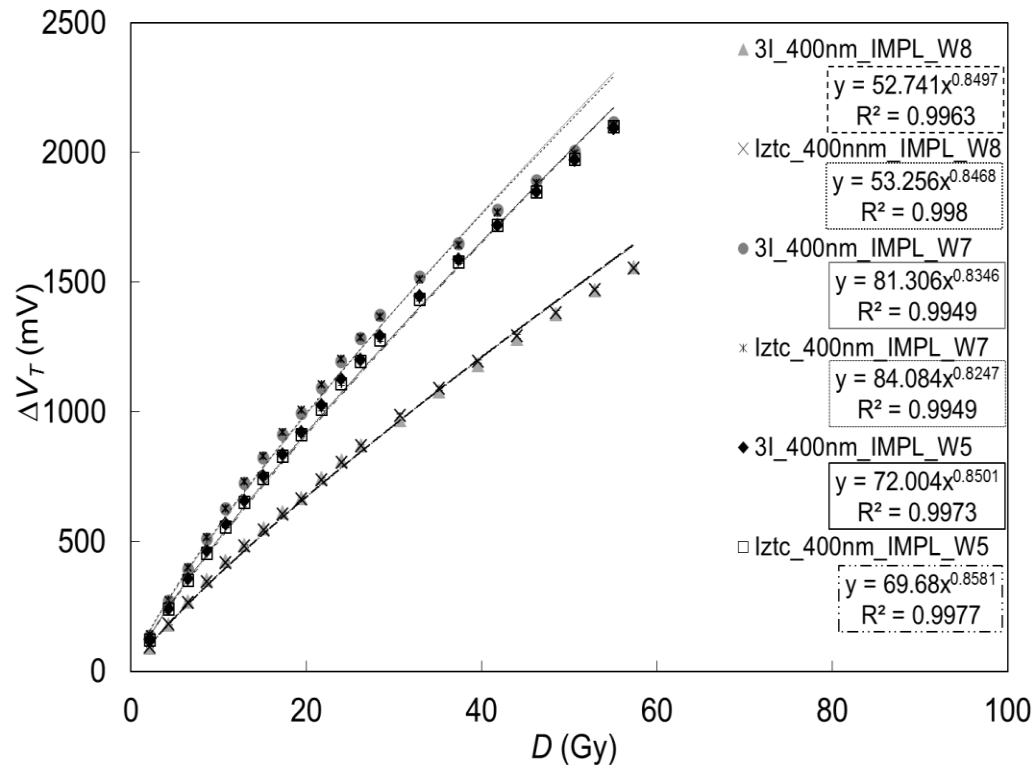
W/L=300/50



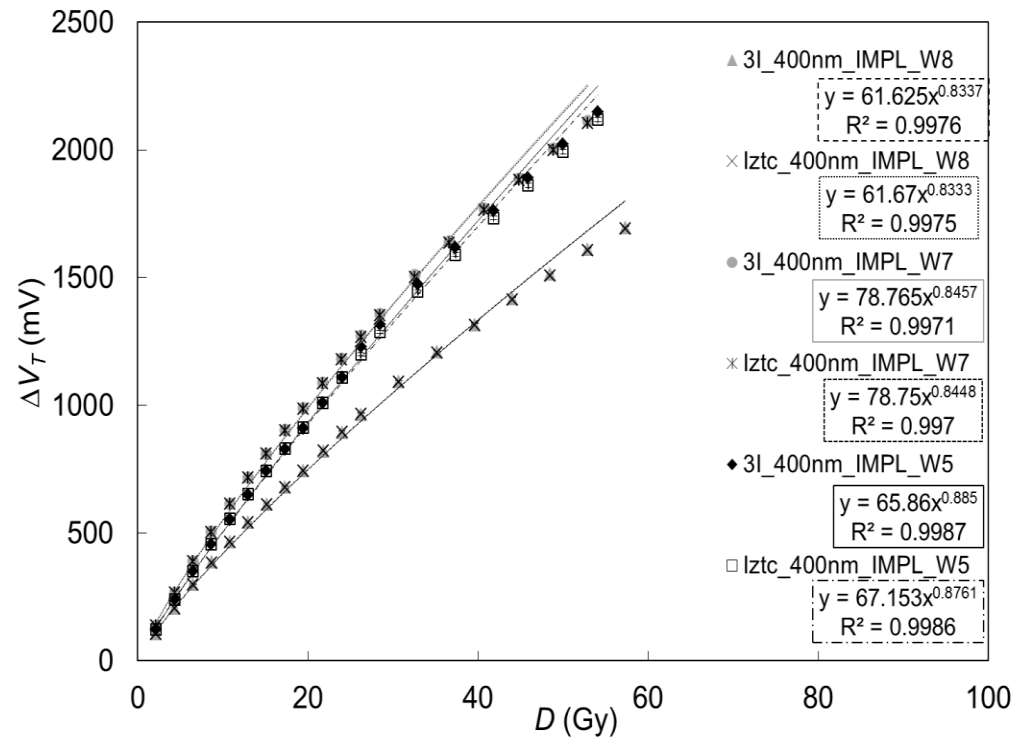
W/L=690/15

Experimental results: Three current Method (3CM)(III)

400nm_IMPL



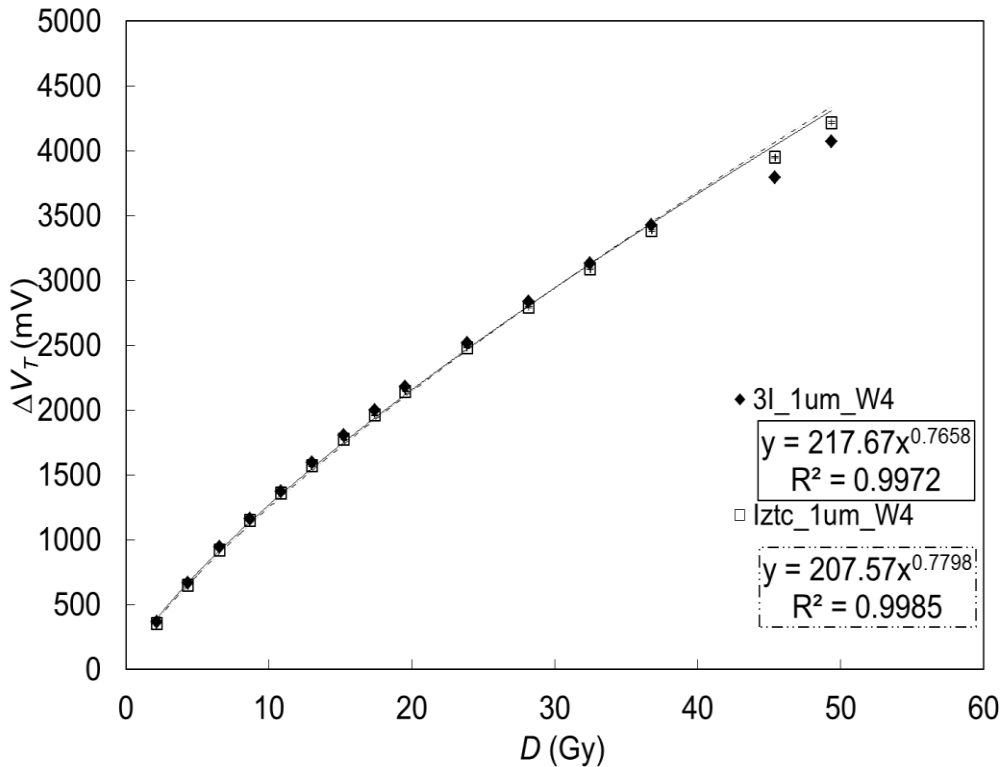
W/L=300/50



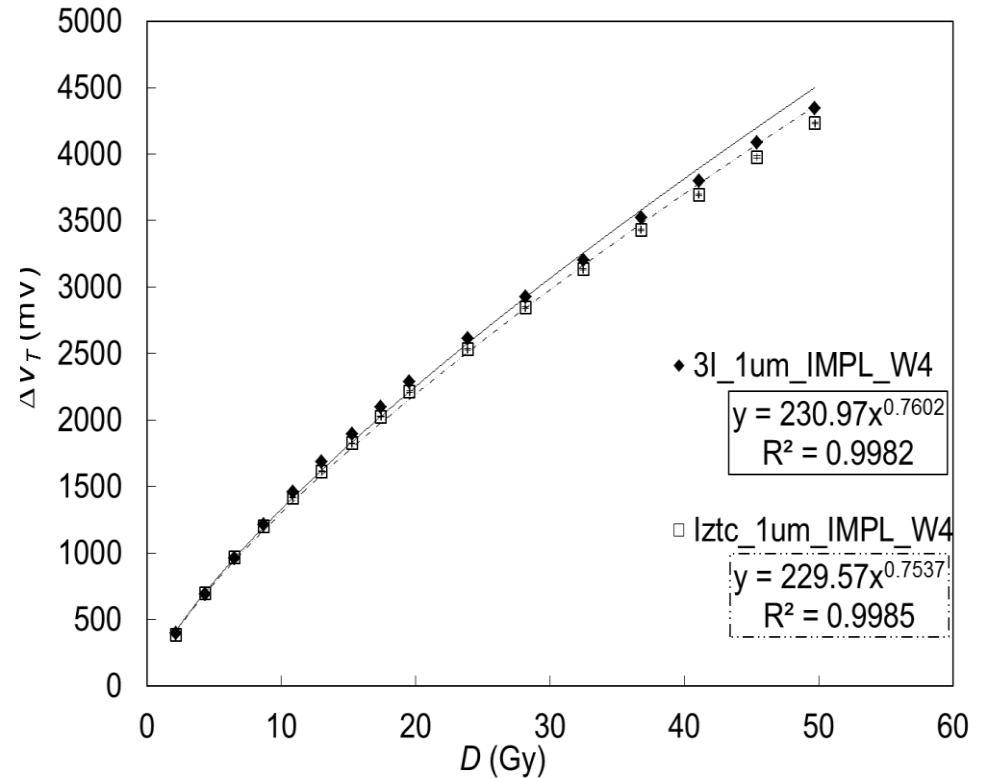
W/L=690/15

Experimental results: Three current Method (3CM)(IV)

■ 1μm_IMPL_W4



W/L=300/50



W/L=690/15

Experimental results: Three current Method (3CM)(V)

- Size W/L=300/50

| Model | 3CM | | I_{ZTC} | | Accumulated Dose (Gy) |
|-------------------|-----------|---------|-----------|--------|-----------------------|
| | A (mV/Gy) | n | A (mV/Gy) | n | |
| 100nm_W8 | 1.167 | 1 | 1.211 | 1 | 295.11 |
| 400nm_IMPL_W5 | 74.832 | 0.84465 | 72.320 | 0.8531 | 55.05 |
| 400nm_IMPL_W7 | 79.299 | 0.832 | 82.660 | 0.825 | 55.06 |
| 400nm_IMPL_W8 | 55.840 | 0.870 | 58.733 | 0.858 | 57.34 |
| 1 μ m_IMPL_W4 | 205.0 | 0.783 | 200.875 | 0.786 | 49.36 |

- 3CM does not improve the results $N_{ot} \gg N_{it}$

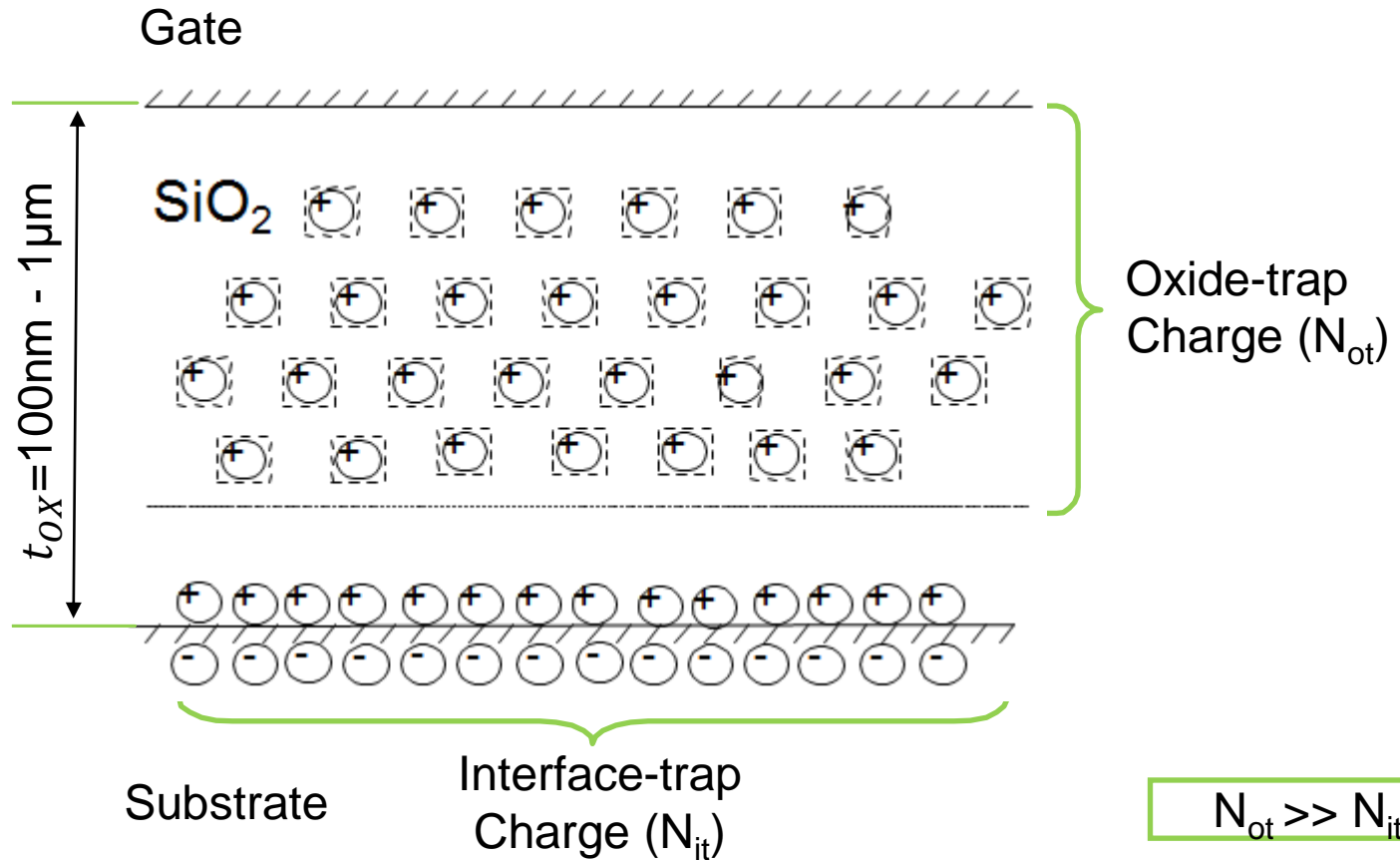
Experimental results: Three current Method (3CM)(VI)

- Size W/L= 690/15

| Model | 3CM | | I_{ZTC} | | Accumulated Dose (Gy) |
|-------------------|-----------|--------|-----------|--------|-----------------------|
| | A (mV/Gy) | n | A (mV/Gy) | n | |
| 100nm_W8 | 1.244 | 1 | 1.23 | 1.17 | 295.11 |
| 400nm_IMPL_W5 | 65.378 | 0.8840 | 65.507 | 0.8847 | 55.05 |
| 400nm_IMPL_W7 | 77.098 | 0.8451 | 77.149 | 0.8446 | 55.06 |
| 400nm_IMPL_W8 | 65.876 | 0.834 | 65.984 | 0.835 | 57.34 |
| 1 μ m_IMPL_W4 | 202.867 | 0.789 | 203.220 | 0.780 | 49.36 |

- 3 CM does not improve the results $N_{ot} \gg N_{it}$

Experimental results: Three current Method (3CM)(VII)



Thermal compensation: Two current Method (2CM)

- Thermal compensation

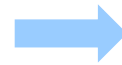
$$\Delta |V_T| (T) = \Delta |V_T^0| + \alpha_{|V_T|} \Delta T$$

For I_1 and I_C

$$\Delta V_{S1}(T) = \Delta V_{S1}^0 + \alpha_1 \Delta T$$

$$\Delta V_{SC}(T) = \Delta V_{SC}^0 + \alpha_C \Delta T$$

$$\Delta T = \frac{(\Delta V_{SC} - \Delta V_{S1}) - (\Delta V_{SC}^0 - \Delta V_{S1}^0)}{\alpha_C - \alpha_1}$$



$$\Delta T = \frac{(\Delta V_{SC} - \Delta V_{S1})}{\alpha_C - \alpha_1}$$

$$\Delta |V_T^0| \sim \Delta |V_{S1}^0| \sim \Delta |V_{SC}^0|$$

From the equation for $\Delta V_{S1}(T)$ and ΔT

$$\Delta V_{S1}^0 = \Delta V_{S1} \frac{\Delta V_{SC} - \Delta V_{S1}}{1 - \frac{\alpha_C}{\alpha_1}}$$

[Carvajal et al, 2011]

Experimental results: Two current Method (2CM)

- Size 300/50 → small I_{ZTC}
- If I_{ZTC} does not change α^0_{S1} → zero.
- If I_{ZTC} changes α^0_{S1} → influence ΔI_{ZTC}
- 5 different temperatures : 10°C, 20°C, 30°C, 40°C and 50°C
 - **10 μ A**
 - I_{ZTC}
 - **2CM** ($I_C \sim 4 * I_{ZTC}$ and $I_1 \sim 20 * I_{ZTC}$), with I_{ZTC} previously known.

$$\Delta V_{S1}^0 = \Delta V_{S1} \frac{\Delta V_{SC} - \Delta V_{S1}}{1 - \frac{\alpha_c}{\alpha_1}}$$

$$\frac{\Delta I_{ZTC}}{\frac{\partial V_{S1}^0}{\partial T}}$$

$$\alpha_{S1}^0 = \alpha'_1 \frac{\alpha'_c - \alpha'_1}{1 - \frac{\alpha_c}{\alpha_1}}$$

- ΔI_{ZTC} OF:
 - 0 %
 - 10 %
 - 50 %

Experimental results: Two current Method (2CM)(II)

- **100nm_W8 model**

| Method | ΔI_{ZTC} | | |
|-------------|------------------|------------------|------------------|
| | $0\%I_{ZTC}$ | $10\%I_{ZTC}$ | $50\%I_{ZTC}$ |
| | α (mV/°C) | α (mV/°C) | α (mV/°C) |
| 10uA | -0.49±0.11 | -0.6±0.1 | -1.53±0.09 |
| I_{ZTC} | 0.001±0.117 | -0.11±0.12 | -0.6±0.1 |
| 2CM | 0.00±0.00 | -0.07±0.10 | -0.3±0.1 |

Results: Thermal Dependence (2CM) (III)

■ 400nm_IMPL_W5 model

■ 400nm_IMPL_W7 model

| Method | ΔI_{ZTC} | | |
|-----------|------------------|------------------|------------------|
| | 0% I_{ZTC} | 10% I_{ZTC} | 50% I_{ZTC} |
| | α (mV/°C) | α (mV/°C) | α (mV/°C) |
| 10uA | -0.47±0.05 | -0.76±0.05 | -2.33±0.06 |
| I_{ZTC} | 0.02±0.04 | -0.24±0.04 | -1.53±0.06 |
| 2CM | 0.00±0.00 | -0.16±0.14 | -0.78 ±0.16 |

| Method | ΔI_{ZTC} | | |
|-----------|------------------|------------------|------------------|
| | 0% I_{ZTC} | 10% I_{ZTC} | 50% I_{ZTC} |
| | α (mV/°C) | α (mV/°C) | α (mV/°C) |
| 10uA | -0.19±0.03 | -0.45±0.03 | -1.80±0.03 |
| I_{ZTC} | 0.02±0.03 | -0.23±0.03 | -1.49±0.03 |
| 2CM | 0.00±0.00 | -0.12±0.12 | -0.74 ± 0.18 |

■ 400nm_IMPL_W8 model

| Method | ΔI_{ZTC} | | |
|-----------|------------------|------------------|------------------|
| | 0% I_{ZTC} | 10% I_{ZTC} | 50% I_{ZTC} |
| | α (mV/°C) | α (mV/°C) | α (mV/°C) |
| 10uA | -0.29±0.07 | -0.56±0.07 | -1.98±0.07 |
| I_{ZTC} | 0.01±0.08 | -0.24±0.07 | -1.49±0.07 |
| 2CM | 0.00±0.00 | -0.14±0.15 | -0.77±0.16 |

Results: Thermal Dependence (2CM) (IV)

- **1 μ m_IMPL_W4 model**

| Method | ΔI_{ZTC} | | |
|-----------|------------------|------------------|------------------|
| | 0% I_{ZTC} | 10% I_{ZTC} | 50% I_{ZTC} |
| | α (mV/°C) | α (mV/°C) | α (mV/°C) |
| 10uA | -0.63±0.05 | -1.22±0.05 | -4.24±0.07 |
| I_{ZTC} | 0.04±0.05 | -0.48±0.04 | -3.16±0.06 |
| 2CM | 0.00±0.00 | -0.32±0.21 | -1.55±0.22 |

Conclusion

- 3CM does not improve the linearity in RADFETs. This is could be caused because $N_{ot} \gg N_{it}$.
- 3CM seems fit slightly better with transistors with $t_{OX} 100\text{nm}$ and size 690/15.
- 2CM solves the thermal dependence better than the I_{ZTC} procedure with shift of the zero thermal current, for the five studied model of RADFET, for both sizes.

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Thank you very much for your attention

**M.S. Martínez-García, J. Torres del Río, A.J. Palma,
A. Jaksic; J. Banqueri and M.A. Carvajal**

sofiamg@ugr.es

<http://ecsens.ugr.es>